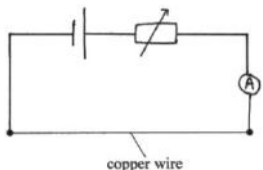




Mark Scheme (Results)

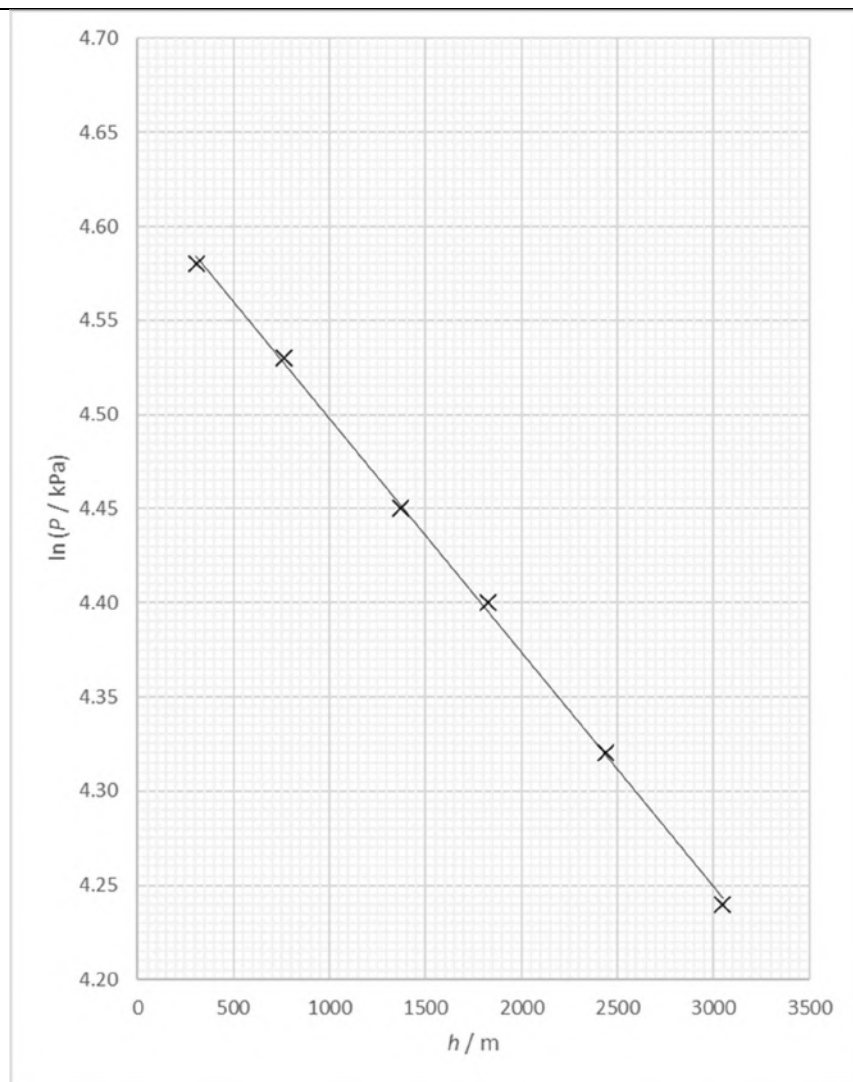
October 2023

Pearson Edexcel International Advanced
Level In Physics (WPH16)
Paper 01 Unit 6: Practical Skills in Physics II

Question Number	Answer	Mark
1(a)	<p>EITHER</p> <p>The wire will get hot (1)</p> <p>Turn off the power supply between readings</p> <p>Or</p> <p>Add a resistor to the circuit (1)</p> <p>OR</p> <p>There may be a short circuit (1)</p> <p>Add a resistor to the circuit (1)</p> <p>OR</p> <p>There is a risk of electric shock (from the copper wire) (1)</p> <p>Use insulated wire (1)</p>	2
1(b)	<p>Circuit including d.c. power supply and ammeter in series with copper wire (1)</p> <p>Circuit includes means of varying current, e.g. variable resistor (1)</p> <p>[Ignore additional components that do not prevent circuit working as expected]</p> 	2
1(c)	<p>There are not enough readings (1)</p> <p>The range of readings is too small (1)</p> <p>The (relationship predicts that the graph should be a straight line through the origin</p> <p>Or</p> <p>The relationship is in the form $y = mx$ (1)</p> <p>An accurate best fit line can't be drawn</p> <p>Or</p> <p>A straight line graph can't be confirmed</p> <p>Or</p> <p>A y-intercept of zero can't be confirmed</p> <p>Or</p> <p>Direct proportionality can't be confirmed (1)</p>	4
Total for question 1		8

Question Number	Answer	Mark
2(a)	<p>Uses $T = 2\pi \sqrt{\frac{l}{g}}$ with $l = H - h$ (1)</p> <p>Clear algebra leading to formula (1)</p> <p><u>Example of derivation</u></p> <p>$T = 2\pi \sqrt{\frac{l}{g}}$ where $l = H - h$</p> <p>So $T = 2\pi \sqrt{\frac{H-h}{g}}$</p> <p>$\therefore T^2 = 4\pi^2 \left(\frac{H-h}{g} \right) = \frac{4\pi^2 H - 4\pi^2 h}{g} = \frac{4\pi^2 H}{g} - \frac{4\pi^2 h}{g}$</p>	2
2(b)	<p>1. Use a metre rule to measure h (1)</p> <p>2. Ensure metre rule is vertical using a set square Or Use a set square to read off the scale Or Measure to the bottom of the bob and add the radius of the bob (1)</p> <p>3. Use a (timing) marker (at the centre of the oscillation) (1)</p> <p>4. Measure (time for) multiple oscillations and divide by the number of oscillations Or Repeat the measurement of T and calculate the mean (1) Or Start timing the oscillations once the oscillations have settled (1)</p> <p>5. Determine T for (at least) 5 different values of h (1)</p> <p>6. Plot a graph of T^2 against h and determine the intercept (to calculate H) (1)</p> <p>[ANNOTATE WITH MPs AWARDED]</p>	6
2(c)	<p>The recording can be viewed in slow motion (1)</p> <p>Judging when an oscillation is complete will be more accurate (1)</p>	2
Total for question 2		10

Question Number	Answer	Mark																					
3(a)	<p>EITHER</p> <p>$\ln P = \ln P_0 - bh$ (1)</p> <p>Compares to $y = c + mx$ where the gradient is $-b$ is the gradient (which is constant) (1)</p> <p>MP2 dependent on MP1</p> <p>OR</p> <p>$\ln P = -bh + \ln P_0$ (1)</p> <p>Compares to $y = mx + c$ where the gradient is $-b$ is the gradient (which is constant) (1)</p> <p>MP2 dependent on MP1</p>	2																					
3(b)(i)	<p>Values of $\ln P$ correct and consistent to 3 d.p. Accept consistent to 2 d.p. (1)</p> <p>Axes labelled: y as $\ln (P / \text{kPa})$ and x as h / m (1)</p> <p>Appropriate scales chosen (1)</p> <p>Processed data plotted accurately (1)</p> <p>Best fit line drawn (1)</p> <p>[Accept graph with values of $\ln P$ in Pa, log values only credit MP3,4,5]</p> <p>[ANNOTATE WITH MPs AWARDED, TICK CHECKED PLOTS]</p> <table border="1"> <thead> <tr> <th>h / m</th><th>P / kPa</th><th>$\ln (P / \text{kPa})$</th></tr> </thead> <tbody> <tr> <td>305</td><td>97.7</td><td>4.582</td></tr> <tr> <td>762</td><td>92.5</td><td>4.527</td></tr> <tr> <td>1372</td><td>85.9</td><td>4.453</td></tr> <tr> <td>1829</td><td>81.2</td><td>4.397</td></tr> <tr> <td>2438</td><td>75.3</td><td>4.321</td></tr> <tr> <td>3048</td><td>69.7</td><td>4.244</td></tr> </tbody> </table>	h / m	P / kPa	$\ln (P / \text{kPa})$	305	97.7	4.582	762	92.5	4.527	1372	85.9	4.453	1829	81.2	4.397	2438	75.3	4.321	3048	69.7	4.244	5
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3(b)(ii)

Uses large triangle to calculate gradient

(1)

Value of gradient in range (-1.20×10^{-4}) to (-1.30×10^{-4})

(1)

Value of gradient given to 2 or 3 s.f., and negative

(1)

3

[Allow unit of m^{-1}]

Example of calculation

$$\text{gradient} = \frac{4.56 - 4.25}{500 - 3000} = \frac{0.31}{-250} = -1.24 \times 10^{-4}$$

3(b)(iii)	<p>Uses gradient = $(-)\frac{Mg}{kT}$ (1)</p> <p>Correct value of M e.c.f. 3(b)(ii) (1)</p> <p>Value of M given to 2 or 3 s.f., correct unit (1)</p> <p><u>Example of calculation</u></p> $M = -\frac{-1.24 \times 10^{-4} \times 1.38 \times 10^{-2} \text{ JK}^{-1} \times 288\text{K}}{9.81\text{ms}^{-2}} = 5.02 \times 10^{-26} \text{ kg}$	3
3(b)(iv)	<p>Reads $\ln P_0$ from y-intercept</p> <p>Or</p> <p>Calculates $(\ln) P_0$ using gradient and data point from best fit line</p> <p>Or</p> <p>Substitutes for $(\ln) P_0$ using gradient and data point from best fit line (1)</p> <p>Calculates P at $h = (-)414 \text{ m}$ (1)</p> <p>Value of P in range 105 kPa to 108 kPa [accept 2,3,4 SF] (1)</p> <p>MP3 dependent on MP2</p> <p><u>Example of calculation</u></p> <p>$\ln P_0 = 4.62$</p> <p>$\ln P = 4.62 + (-1.24 \times 10^{-4} \times -414) = 4.67$</p> <p>$P = e^{4.67} = 107 \text{ kPa}$</p>	3
Total for question 3		16

Question Number	Answer	Mark
4(a)(i)	<p>EITHER</p> <p>Repeat at different places and calculate a mean (1)</p> <p>To reduce (the effect of) <u>random error</u> (1)</p> <p>MP2 dependent on MP1 [Allow MP2 if MP1 partially correct]</p> <p>OR</p> <p>Use the ratchet to avoid squashing the rubber (1)</p> <p>To reduce (the effect of) <u>random error</u> (1)</p> <p>MP2 dependent on MP1 [Allow MP2 if MP1 partially correct]</p> <p>OR</p> <p>Check and correct for zero error (1)</p> <p>To eliminate <u>systematic error</u> [Accept reduce for eliminate] (1)</p> <p>MP2 dependent on MP1 [Allow MP2 if MP1 partially correct]</p>	2
4(a)(ii)	<p>Mean $t = 1.04$ (mm) 3 SF only (1)</p> <p><u>Example of calculation</u></p> $\text{Mean } t = \frac{(1.02 + 1.06 + 1.05 + 1.01)\text{mm}}{4} = 1.035 = 1.04 \text{ (mm)}$	1
4(a)(iii)	<p>Calculation using half range shown</p> <p>Or</p> <p>Calculation of furthest from the mean shown (1)</p> <p>Percentage uncertainty in $t = 3\%$ e.c.f. (a)(ii) Accept 2 SF (1)</p> <p><u>Example of calculation</u></p> $\text{Half range} = \frac{(1.06 - 1.01)\text{mm}}{2} = 0.025 = 0.03 \text{ (mm)}$ $\%U = \frac{0.03\text{mm}}{1.04\text{mm}} \times 100 = 2.9\% = 3\%$ <p>Note: use of 0.025 in calculation gives 2.4% or 2%</p>	2

4(a)(iv)	<p>The measurement is larger but the uncertainty is the same Or The measurement is larger but the resolution (of the micrometer) is the same (1) (1)</p> <p>So the percentage uncertainty is reduced (by a factor of 4)</p> <p>MP2 dependent on MP1</p>	2
4(a)(v)	<p>The length x of the rubber band does not take into account the fold (at the ends). (1)</p> <p>The (length x of the) rubber band could be measured when it is not taut Or The width w could be measured when the rubber band is compressed (1)</p>	2

4(b)(i)	<p>EITHER</p> <p>Uses $2 \times$ percentage uncertainty in D [Accept $2 \times \frac{\Delta D}{D}$] (1)</p> <p>Uncertainty in $D = 0.069 \text{ (cm}^2\text{)}$ 2 SF only (1)</p> <p><u>Example of calculation</u></p> <p>$\%U \text{ in } D^2 = 2 \times \frac{0.01}{3.45} \times 100 = 0.58\%$</p> <p>$U \text{ in } D^2 = 3.45^2 \times \frac{0.58}{100} = 0.069 \text{ (cm}^2\text{)}$</p> <p>OR</p> <p>Calculation of half range of D^2 shown (1)</p> <p>Uncertainty in $D = 0.069 \text{ (cm}^2\text{)}$ 2 SF only (1)</p> <p><u>Example of calculation</u></p> <p>$U \text{ in } D^2 = \frac{3.46^2 - 3.44^2}{2} = 0.069 \text{ (cm}^2\text{)}$</p>	<p>2</p>
4(b)(ii)	<p>EITHER</p> <p>Addition of uncertainties shown (1)</p> <p>$U \text{ in } A = 0.052 \text{ (cm}^2\text{)}$ 2 SF only e.c.f. (b)(i) (1)</p> <p><u>Example of calculation</u></p> <p>$U \text{ in } A = (0.07 + 0.06 + 0.07) \times \frac{\pi}{12} = 0.052 \text{ (cm}^2\text{)}$</p> <p>OR</p> <p>Calculation of maximum and minimum A shown (1)</p> <p>$U \text{ in } A = 0.053 \text{ (cm}^2\text{)}$ 2 SF only (1)</p> <p><u>Example of calculation</u></p> <p>Maximum $A = (11.97 + 9.42 + 10.63) \times \frac{\pi}{12} = 8.383 \text{ cm}^2$</p> <p>Minimum $A = (11.83 + 9.30 + 10.49) \times \frac{\pi}{12} = 8.278 \text{ cm}^2$</p> <p>$U \text{ in } A = \frac{8.383 - 8.278}{2} = 0.053 \text{ (cm}^2\text{)}$</p>	<p>2</p>

4(c)	<p>Calculation of a relevant limit using percentage uncertainty shown Or Calculation of a relevant uncertainty using percentage uncertainty shown (1)</p> <p>Upper limit ρ for rubber band = $1.20 \text{ (g cm}^{-3}\text{)}$ and Lower limit ρ for rubber bung = $1.50 \text{ (g cm}^{-3}\text{)}$ (1)</p> <p>They are not made from the same type of rubber as the upper limit of the rubber band does not overlap the lower limit for the rubber bung (1)</p> <p>MP3 dependent MP2</p> <p><u>Example of calculation</u></p> <p>Upper limit ρ for rubber band = $1.15 \times (1 + \frac{4.3}{100}) = 1.20 \text{ (g cm}^{-3}\text{)}$</p> <p>Lower limit ρ for rubber bung = $1.52 \times (1 - \frac{1.2}{100}) = 1.50 \text{ (g cm}^{-3}\text{)}$</p>	3
	Total for question 4	16